

Identification of τ lepton at the DØ experiment

Romain MADAR^a

^aService de Physique des Particules
CEA Saclay, Irfu/SPP - France

AMERICAN PHYSICAL SOCIETY – 15th of February 2010 –



Overview

- 1 Motivations
- 2 τ lepton properties & reconstruction
- 3 Understanding of τ_{had} object
 - τ_{had} /jet discrimination
 - τ energy calibration
- 4 Identification improvements
 - New discriminating observables
 - Multivariate analysis optimization
- 5 Conclusions and outlooks

Motivations

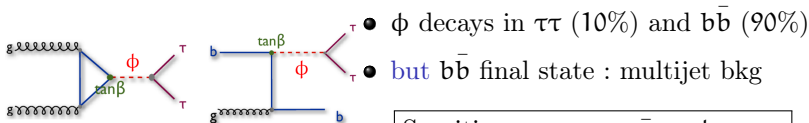
SUSY SM extention

- $\tilde{q}, \tilde{g},$
 - weak gauginos, ...
- } cascade decays can end with τ 's

Higgs sector of MSSM After $SU(2)_L \times U(1)_Y$ symmetry breaking :

- 1 3 neutral Higgs fields $\phi \equiv (H^0, h, A),$
- 2 2 charged Higgs fields $H^+, H^-.$

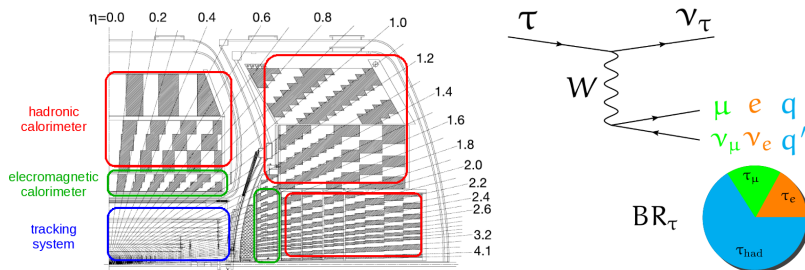
For the neutral Higgs search :



Sensitive process : $p\bar{p} \rightarrow \phi \rightarrow \tau\tau$

The τ lepton and its reconstruction

Physical properties : $m_\tau = 1.78 \text{ GeV}$, $c\tau_{\text{life}} = 87 \text{ } \mu\text{m}$

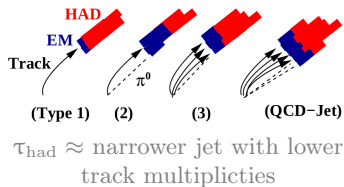


We will focus on **hadronic decay** of τ : τ_{had}

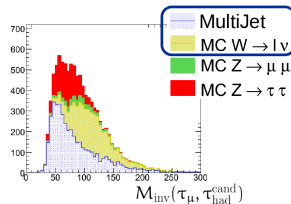
Reconstruction and DØ τ type definition for hadronic decay :

- DØ type 1 $\equiv$ 1 **trk**, **HAD** deposit $\sim \tau^\pm \rightarrow \pi^\pm \nu_\tau$
- DØ type 2 $\equiv$ 1 **trk**, **EM** and **HAD** deposit $\sim \tau^\pm \rightarrow \rho^\pm (\rightarrow \pi^0 \pi^\pm) \nu_\tau$
- DØ type 3 $\equiv$ at least 2 **trks**, **HAD** deposit $\sim \tau^\pm \rightarrow a_1^\pm (\rightarrow \pi^\pm \pi^\mp \pi^\pm) \nu_\tau$

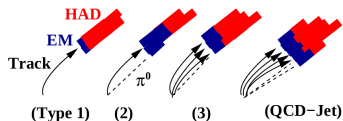
Identification of true τ



Jets could have the same experimental signatures as hadronic τ and need to be removed.

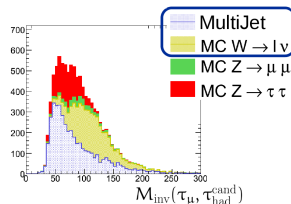


Identification of true τ



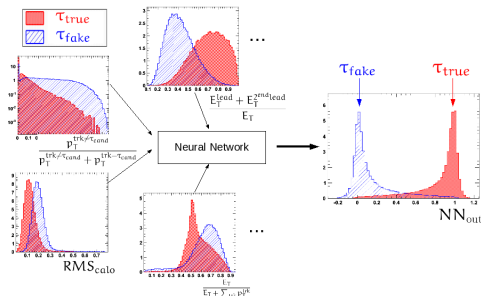
$\tau_{\text{had}} \approx$ narrower jet with lower track multiplicities

Jets could have the same experimental signatures as hadronic τ and need to be removed.



~ 12 discriminating observables

- track isolation,
- calo isolation,
- shower shape,
- trk-calo correlations.



E_τ calibration : “E/p correction”

Known effect

The **calorimeter response** is slightly different in the simulation and in data.
 $\tau_{\text{measured}} \equiv \{\gamma, \pi^\pm\}$ energy **needs a relative correction**.

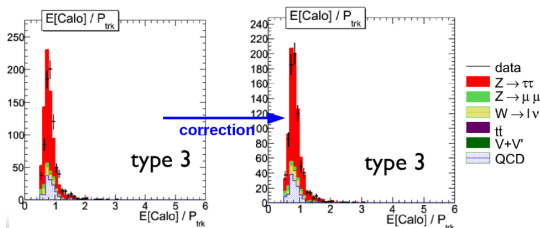
Correction method

Use the **track energy as reference** to correct simulation **event by event** :

$$\left(\frac{E}{p}\right)_{\text{MCcorr}} = \left(\frac{E}{p}\right)_{\text{MC}} \times \frac{\langle E/p \rangle_{\text{data}[Z \rightarrow \tau\tau]}}{\langle E/p \rangle_{\text{MC}}}$$

with

- $E/p \equiv E^{\text{calo}}/p^{\text{trk}}$
- $\langle E/p \rangle \equiv$ average value.



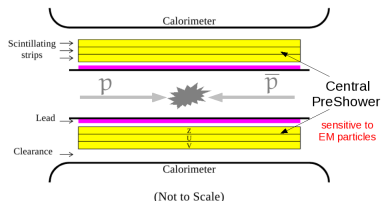
Overview

- 1 Motivations
- 2 τ lepton properties & reconstruction
- 3 Understanding of τ_{had} object
 - τ_{had} /jet discrimination
 - τ energy calibration
- 4 **Identification improvements**
 - New discriminating observables
 - Multivariate analysis optimization
- 5 Conclusions and outlooks

Central PreShower (CPS) for type 2

Physical idea. Exploit specific resonance of τ **type 2** decay : $\tau^\pm \rightarrow \rho^\pm \nu \rightarrow \pi^\pm \pi^0 \nu$.
Use Central PreShower detector with fine segmentation : $\Delta\phi_{\text{CPS}} \simeq 0.1 \times \Delta\phi_{\text{calo}}$

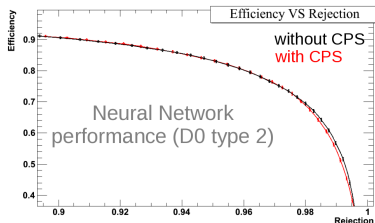
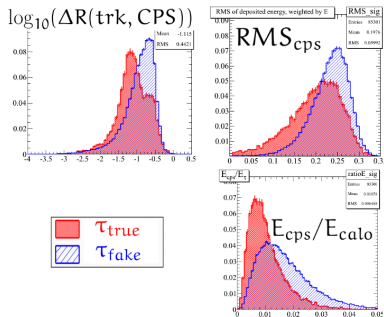
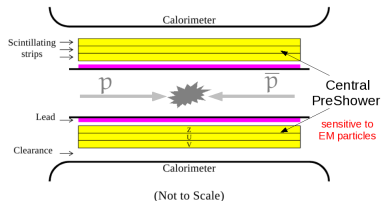
$$\text{CPS}_{\text{cluster}} \approx \pi^0, \text{ trk} \approx \pi^\pm$$



Central PreShower (CPS) for type 2

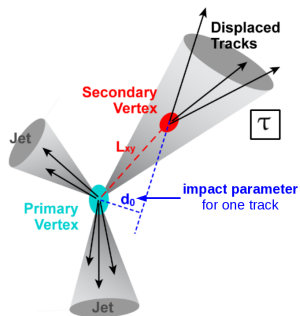
Physical idea. Exploit specific resonance of τ **type 2** decay : $\tau^\pm \rightarrow \rho^\pm \nu \rightarrow \pi^\pm \pi^0 \nu$.
Use Central PreShower detector with fine segmentation : $\Delta\phi_{\text{CPS}} \simeq 0.1 \times \Delta\phi_{\text{calo}}$

$$\text{CPS}_{\text{cluster}} \approx \pi^0, \text{trk} \approx \pi^\pm$$



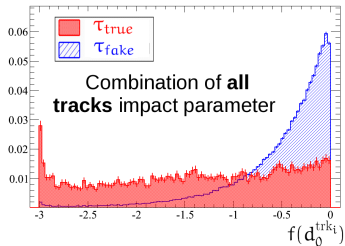
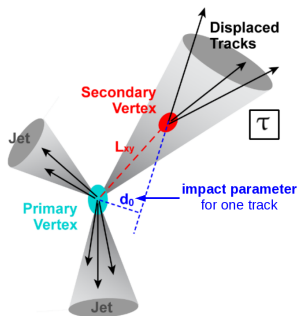
No significant improvement

τ is a long lived particle



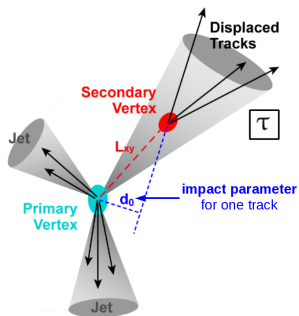
Use impact parameter to remove
jets faking τ more efficiently.
(large $c\tau_{\text{life}} \Rightarrow$ large d_0)

τ is a long lived particle

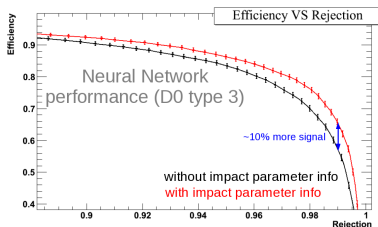
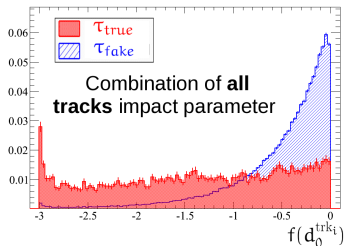


Use impact parameter to remove jets faking τ more efficiently.
(large $c\tau_{\text{life}} \Rightarrow$ large d_0)

τ is a long lived particle



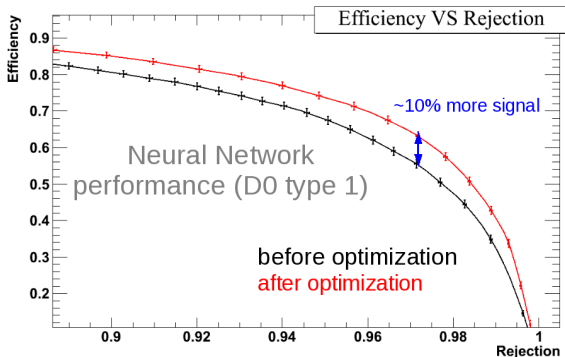
Use impact parameter to remove
jets faking τ **more efficiently**.
(large $c\tau_{\text{life}} \Rightarrow$ large d_0)



Clear improvement in performance !

Multivariate analysis optimization

- Change training sample from current DØ NN_τ : add τ_{cand} of low p_T ,
 - larger training sample,
 - More epochs,
 - More nodes.
- } $\tau_{\text{true}}/\tau_{\text{fake}}$ differences described in more details



Overview

- 1 Motivations
- 2 τ lepton properties & reconstruction
- 3 Understanding of τ_{had} object
 - τ_{had} /jet discrimination
 - τ energy calibration
- 4 Identification improvements
 - New discriminating observables
 - Multivariate analysis optimization
- 5 Conclusions and outlooks

Conclusions & outlooks

General :

- τ lepton is a key object to probe new physics as well as SM physics, (see Kathy and Melvin's talks).
- Understand these objects is an experimental challenge.

Last results for the DØ experiment :

- Use Central PreShower : no significant improvement,
- Use the decay length information : $\sim 10\%$ improvement.
- Optimize Multivariate analysis : $\sim 10\%$ improvement.

Future plans :

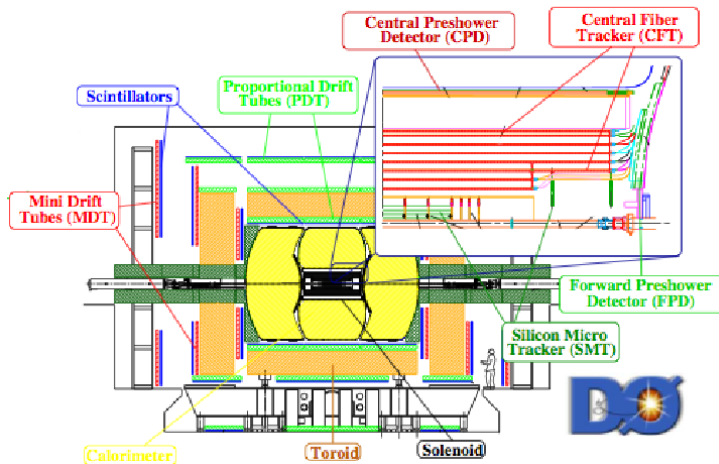
- Large contamination of electrons : finer segmentation of PreShower could provide strong discriminant.

BACKUP SLIDES

DØ detector

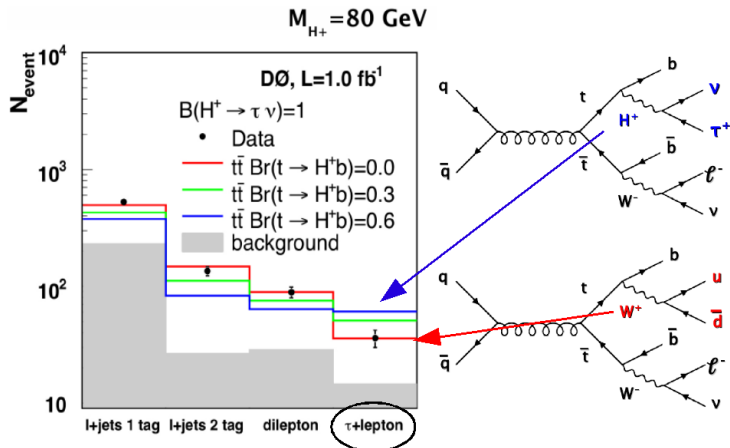
Multi purpose detector:

μ id, EM id, jets, taus, $\cancel{E}_T$, b-jets tagging



MSSM charged Higgs

Charged higgs bosons via $t\bar{t}$ events



Identification efficiency correction

Problem : ID efficiency ($\epsilon_{\text{ID}} \equiv \frac{N[\tau_{\text{NN} > \text{cut}}]}{N[\tau_{\text{true}}]}$) is better in MC than in data.

Solution : Measure ID eff in **data** and correct the simulation :

- ❶ Build a pure τ data sample $\mathcal{S} \equiv \text{Data} - \sum_i \text{Bkg}_i \approx Z\tau\tau_{\text{data}}$,
- ❷ All τ^{cand} from $\mathcal{S}$ is **assumed** to be a true τ : $\epsilon_{\text{ID}}^{\text{data}} = \frac{N[\tau_{\text{NN} > \text{cut}}]}{N_{\text{tot}}}$,
- ❸ Correct the simulation to have $N_{\text{MCcorr}}[\tau_{\text{NN} > \text{cut}}] = N_{\text{data}}[\tau_{\text{NN} > \text{cut}}]$:

$$N_{\text{MCcorr}}[\tau_{\text{NN} > \text{cut}}] = \frac{\epsilon_{\text{ID}}^{\text{data}}}{\epsilon_{\text{ID}}^{\text{MC}}} \times N_{\text{MC}}[\tau_{\text{NN} > \text{cut}}]$$

